# Small volume laboratory on a chip measurements incorporating the quartz crystal microbalance to measure the viscosity-density product of room temperature ionic liquids

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(Received 18 December 2009; accepted 10 February 2010; published online 8 March 2010)

A microfluidic glass chip system incorporating a quartz crystal microbalance (QCM) to measure the square root of the viscosity-density product of room temperature ionic liquids (RTILs) is presented. The QCM covers a central recess on a glass chip, with a seal formed by tightly clamping from above outside the sensing region. The change in resonant frequency of the QCM allows for the determination of the square root viscosity-density product of RTILs to a limit of  $\sim 10 \text{ kg m}^{-2} \text{ s}^{-0.5}$ . This method has reduced the sample size needed for characterization from 1.5 ml to only 30  $\mu$ l and allows the measurement to be made in an enclosed system. © 2010 American Institute of Physics. [doi:10.1063/1.3353379]

#### I. INTRODUCTION

Room temperature ionic liquids (RTILs) are increasingly finding novel applications to chemical engineering problems for which they can be specifically tailored. RTILs are liquid at ambient temperature and comprise solely of ions. There are over  $1 \times 10^6$  simple RTILs that need to be characterized to optimize their potential uses. Extending the available data on these pure liquids is difficult due to the expense of the large volumes required for traditional characterization methods. To advance quickly in this area, it is necessary to develop a method for characterizing the physical properties of the liquids quickly and efficiently using as small a volume as possible. Possible applications for RTILs include separation techniques, catalysis, organic synthesis, pharmaceutical solvents, fuels cells, and many more. Some techniques for characterizing the RTILs have already been developed on chip including solution phase synthesis and halide content.

It has previously been shown that the quartz crystal microbalance (QCM) can be used to measure properties of RTILs,  $^{9,10}$  which include the square root of the viscosity-density product  $(\sqrt{\rho}\,\eta)$  using a small volume method requiring only 40  $\mu$ l. The viscosity of small volumes is often measured using cantilevers with a volume of only 1 ml. The frequency response of a 5 MHz quartz crystal with a single sided liquid contact was characterized by the Kanazawa and Gordon equation (1), which relates the change in frequency to the square root of the viscosity-density product,

$$\frac{\Delta f}{f_o} = -\frac{1}{Z_q} \left( \frac{f_s \eta \rho}{\pi} \right)^{1/2},\tag{1}$$

where  $\Delta f$  is the change in resonant frequency,  $f_o$  is the fundamental frequency, the specific acoustic impedance of quartz:  $Z_q = (\mu_q \rho_q)^{1/2} = 8.84 \times 10^6 \text{ kg m}^{-2} \text{ s}^{-1}$ ,  $f_s = nf_o$  is the overtone fre-

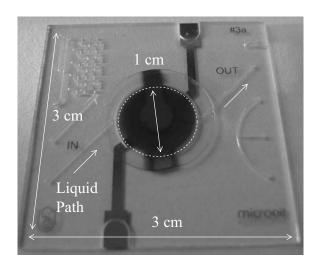


FIG. 1. Image of microfluidic glass chip; the QCM sits over the open top circular cell.

quency at which the response is measured, and  $\rho$  and  $\eta$  are the density and viscosity of the liquid, respectively.

In this work, we extend the previous study to incorporate the QCM on a glass microfluidic chip, reducing the required volume, allowing the measurement to be made in a sealed system, reducing the risk of water contamination, and giving the possibility of integrating other measurements onto the same chip.

## II. EXPERIMENTAL

## A. Microfluidic device setup

The custom designed microfluidic glass chip (3 cm $\times$ 3 cm $\times$ 1 mm) was fabricated by Micronit Microfluidics BV (The Netherlands) using two layers of glass. The chip consists of an open top circular cell with radius of 5 mm and depth of 300  $\mu$ m with flow passages to and from the cell formed by wet etching (depth 125  $\mu$ m), the QCM covers the open top circular cell, see Fig. 1. To connect to the flow system, standard Upchurch (WA, USA) microfluidic connectors were used, consisting of polyether ether ketone (PEEK) capillary tubing (inner diameter of 150  $\mu$ m and outer diameter of 360  $\mu$ m, stock 1572) with headless nuts and ferrules (outer diameter of 360  $\mu$ m, stock F-123Hx and N-123–03x). To minimize risk of blockage a 2  $\mu$ m filter capsule assembly (stock M-542) was used.

The chip is clamped in a holder with a specially designed top clamping system (Figs. 2 and 3).

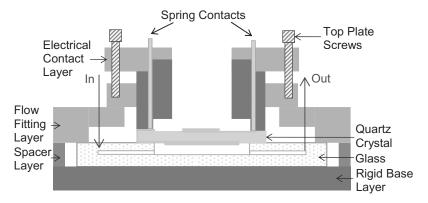


FIG. 2. Chip clamping system, including quartz crystal.

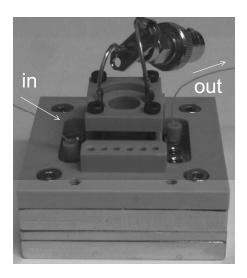


FIG. 3. Image of cell setup, with QCM clamped within the system.

This allows clamping of the QCM onto the glass chip outside the sensing region; the QCM is connected via spring contact pins.

Polished quartz disks (0.538 in. diameter) with a resonant frequency of 8 MHz were purchased from the International Crystal Manufacturing (OK, USA). Wrap around electrodes with diameters: Top 8 mm and bottom 4 mm were fabricated with 10 nm titanium and 150 nm gold using an Emitech K575X sputter coater.

Due to the chemical nature of the RTILs, it is important to use only chemically resistant materials. It has been found that by tightly clamping the PEEK against the QCM and the glass chip, a good seal is formed negating the need for any further sealing.

To ensure a stable temperature, the chip was placed in an Octagon 10 incubator (Brinsea, U.K.) and all measurements made at 30 °C. Liquid flow rate was controlled via a Nemesys syringe pump (Cetoni, Germany) with a gas tight syringe (Hamilton, Switzerland) volume dependent on the viscosity of the liquid. The chip requires a sample volume of only 30  $\mu$ l and has been compared to measurements made with a Brookfield DVII+programmable viscometer (temperature controlled at 30 °C via a water bath) and DMA4500 density/specific gravity/concentration meter, which require a combined volume of 1.5 ml.

The square root viscosity-density product is calculated by measuring frequency changes and applying the Kanazawa and Gordon equation. <sup>12</sup> Measurements of resonant frequency changes for the QCM were obtained by tracking the frequency of the minimum insertion loss using an Agilent E5061A network analyzer for both the fundamental frequency and the third overtone. Liquid flow was stopped to allow the frequency measurements to be recorded.

Various concentrations of water glycerol solutions (0%-85% v/v) were used as calibration liquids to ensure that the QCM frequency changes were behaving according to the expected relationship.<sup>12</sup> Measurements of various concentrations of  $[C_2\text{mim}][EtSO_4]$  (0%-100% v/v), a water miscible RTIL, and a further eight RTILs were studied (Table I). The RTILs were dried under vacuum overnight at 65 °C before use to ensure minimal water content. Immediately prior to QCM measurements, the viscosity and density were measured on a standard viscometer and densitometer ensuring that the water content for a given liquid was the same for both techniques; halide content was recorded using suppressed ion chromatography.<sup>16</sup>

Liquid flow rates ranged from 0.04  $\mu$ l/s for highly viscous samples (>100 cP) to 2  $\mu$ l/s for cleaning. Six fluid volume changes are used to ensure that there is no residue remaining from previous samples. For this purpose, water and methanol are used until the resonant frequency of the crystal returns to its unloaded value. Liquid exchange is made without opening the cell; if the cell is opened, recalibration would be needed to ensure that the QCM is operating as expected.

TABLE I. RTIL names and sources.

RTIL	Chemical name	Manufactured	Halide content (ppm)
[C <sub>2</sub> mim][EtSO <sub>4</sub> ]	1-ethyl-3-methylimidazolium ethylsulfate	In house using standard literature methods <sup>a</sup>	Halide free
	1-ethyl-3-methylimidazolium		
$[C_2 mim][NTf_2]$	bis(trifluoromethylsulfonyl)imide		< 5
	1-butyl-3-methylimidazolium		
$[C_4mim][NTf_2]$	bis(trifluoromethylsulfonyl)imide		< 5
	1-hexyl-3-methylimidazolium		
$[C_6mim][NTf_2]$	bis(trifluoromethylsulfonyl)imide		< 5
	1-octyl-3-methylimidazolium		
[C <sub>8</sub> mim][NTf <sub>2</sub> ]	bis(trifluoromethylsulfonyl)imide		< 5
	1-decyl-3-methylimidazolium		
$[C_{10}mim][NTf_2]$	bis(trifluoromethylsulfonyl)imide		< 5
	1-butyl-2,3-dimethylimidazolium		
[C <sub>4</sub> dmim][NTf <sub>2</sub> ]	bis(trifluoromethylsulfonyl)imide		< 5
	1-butyl-1-methylpyrrolidinium		
[C <sub>4</sub> mpyrr][NTf <sub>2</sub> ]	bis(trifluoromethylsulfonyl)imide		< 5
[C <sub>4</sub> mpyrr][DCA]	1-butyl-1-methylpyrrolidinium dicyanamide	Merck (98%)	1790

<sup>&</sup>lt;sup>a</sup>References 13–15.

#### B. Seal leakage rate

The leakage rate of liquid out through the seal may be estimated using the model of radial flow in a gap of uniform height, as illustrated in Fig. 4. Determination of the velocity and pressure distribution (p) in the gap is relatively straightforward since the gap height is small in relation to radial position and the flow is necessarily in the Stokes flow regime. For these conditions one finds with approximation of order h/r the equation for radial pressure gradient in terms of leakage volume flow rate  $Q_L$ , gap height h, liquid viscosity  $\mu$ , and radius r,

$$\frac{dp}{dr} = -\frac{6\mu Q_L}{\pi h^3 r}. (2)$$

Integration from  $r_1$  to  $r_2$  then yields a relation between pressure differential and leakage flow rate,

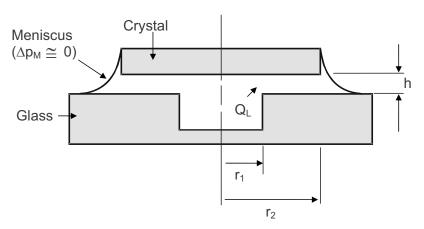


FIG. 4. Model geometry used to characterize the seal leakage rate.

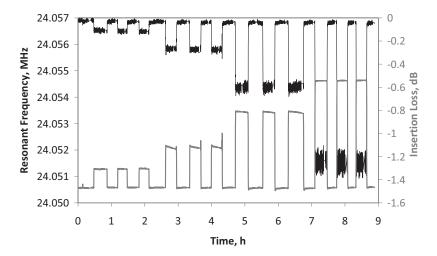


FIG. 5. A frequency and insertion loss time plot showing repeatability for the third overtone resonant frequency, sensing dilutions of  $[C_2 \text{mim}][EtSO_4]$ .

$$Q_L = \frac{\pi h^3 (p_1 - p_2)}{6\mu \ln(r_2/r_1)}.$$
 (3)

In practice, the gap is not uniform and varies according to the surface undulations in the glass and quartz surfaces. For the optical-quality surfaces involved in the experimental seal, the surface undulations are expected to be around 0.1  $\mu$ m. Using this value for the height and a pressure difference of 1 bar, Eq. (3) gives a leakage flow rate of 1.5 pl/s in the case of a liquid with 0.1 Pa s viscosity. For continuous operation for 1 day, it can be worked out that if the leaked liquid formed a quarter-circular fillet around the perimeter of the cover disk, the fillet radius would be about 100  $\mu$ m. In fact very little liquid could be detected over similar periods of operation, which suggests that in fact, the gap geometry corresponded to a yet smaller effective gap size than the 0.1  $\mu$ m assumed above.

#### **III. RESULTS AND DISCUSSION**

The QCM response for various concentrations of  $[C_2 mim][EtSO_4]$  is shown in Fig. 5. This figure shows the frequency and insertion loss changes as a function of time operating at the third harmonic frequency. The changes in resonant frequency and insertion loss are very repeatable, with the figure showing the same liquid tested on the chip three times. On each occasion the frequency response returns to its original frequency. This consistency demonstrates that the sample volume of liquid is sufficient to provide reliable results.

Figures 6 and 7 show the calculated square root viscosity-density product from the frequency change of the QCM, operating on the fundamental and third harmonics, respectively, and compare them against the value obtained from the traditional measurements made on the viscometer and densitometer. The figures show values obtained for various concentrations of water glycerol solutions (0%–85% v/v) confirming that the QCM behaves according to the Kanazawa and Gordon relationship. The response at the fundamental frequency (Fig. 6) shows reasonable agreement with some scatter in the water glycerol solution data particularly at the lower viscosities. This scatter is significantly reduced when sensing on the third harmonic (Fig. 7). Both data sets follow the line of unity well. The RTILs present similar behavior with the scatter in the data for the fundamental significantly reduced when sensing on the third harmonic; the largest scatter is seen for the most viscous liquid measured ( $\sqrt{\rho\eta} \sim 11~\text{kg m}^{-2}~\text{s}^{-1/2}$ ).

It has previously been reported that the third harmonic provides a more accurate frequency change measurement.<sup>17</sup> This is confirmed for this application in Figs. 6 and 7. We have also seen this behavior experimentally when working with 9 MHz quartz crystals although these data have

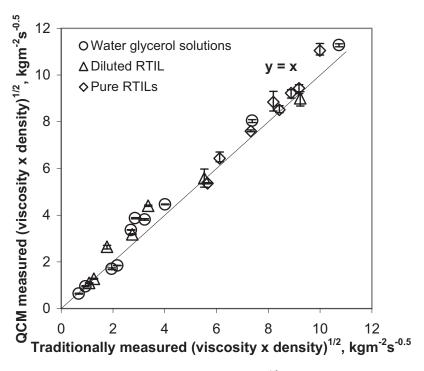


FIG. 6. Fundamental frequency data plot of the (viscosity  $\times$  density) $^{1/2}$  for water glycerol solutions, dilutions of  $[C_2 mim][EtSO_4]$ , and eight pure RTILs (where traditional measurements refer to the value calculated from the viscometer and densitometer). A unity line is plotted to demonstrate linearity.

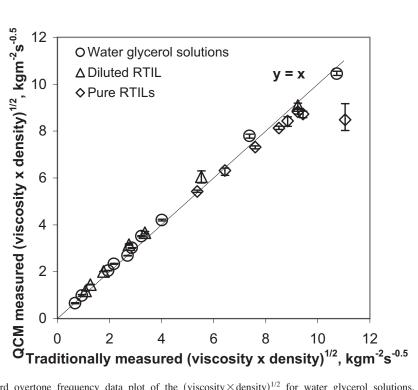


FIG. 7. Third overtone frequency data plot of the  $(viscosity \times density)^{1/2}$  for water glycerol solutions, dilutions of  $[C_2mim][EtSO_4]$ , and eight pure RTILs (where traditional measurements refer to the value calculated from the viscometer and densitometer). A unity line is plotted to demonstrate linearity.

not been included. At the frequencies used, standing (compressional) waves were not a problem; however at other frequencies, this may become a problem but could be overcome with the use of a spoiler. For high viscosity liquids ( $\sqrt{\rho\eta} > 10~{\rm kg~m^{-2}~s^{-1/2}}$ ), this behavior begins to break down and we believe we have reached the limit of detection for the 8 Mz QCM in the system. The agreement between the traditional viscosity-density measurements and QCM measurements is excellent despite several orders of magnitude difference in shear rates.

#### **IV. CONCLUSION**

By using the laboratory on a chip system detailed above, we have measured the viscosity-density product of RTILs using volumes as low as 30  $\mu$ l, which can be further reduced by optimizing the tubing lengths. This compares well with commercially available hardware with typical volumes around 150  $\mu$ l. <sup>19</sup> The QCM offers an excellent alternative to larger volume techniques and is particularly advantageous when characterizing hygroscopic liquids, whereby the viscosity decreases exponentially with water contamination. Ideally this method would be combined with a simulation study such as those described by Jacquemin *et al.*, <sup>20</sup> allowing us to extract viscosity and density as separate components for RTILs.

# **ACKNOWLEDGMENTS**

Data 53, 2473 (2008).

We gratefully acknowledge the UK Engineering and Physical Sciences Research Council for funding under Grant Nos. EP/D03826X/1, EP/D038294/1, and EP/D038995/1.

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